

II B.Tech - II Semester – Regular Examinations - MAY 2025

HYDRAULICS & HYDRAULIC MACHINERY
(CIVIL ENGINEERING)Duration: 3 hours
Max. Marks: 70

Note: 1. This question paper contains two Parts A and B.

2. Part-A contains 10 short answer questions. Each Question carries 2

Marks.

3. Part-B contains 5 essay questions with an internal choice from each unit.

Each Question carries 10 marks.

4. All parts of Question paper must be answered in one place.

BL – Blooms Level
CO – Course Outcome

PART – A

CO	BL	1.a)	What is the effect of change in Reynold's number on the friction factor in turbulent flow?	L2	CO1
		1.b)	What is role of boundary layer theory to enhance the velocity of golf ball?	L2	CO1
CO2	L2	1.c)	What is the significance of Moody's chart?	L2	CO2
CO2	L1	1.d)	Write the limits of Reynolds number for open channel flow and pipe flow.	L1	CO2
		1.e)	What conditions are to be satisfied for a channel section is said to be efficient channel section?	L2	CO3
		1.f)	If water is flowing through a pipe of 5 cm diameter under a pressure of 20 N/cm ² and a mean velocity of 2 m/s, find the kinetic head?	L2	CO3
CO4	L2	1.g)	Provide the details of turbines efficiency based on the depth of flow.	L2	CO4
CO4	L2	1.h)	Distinguish between steady and unsteady flow.	L2	CO4
CO5	L2	1.i)	For a fully-developed pipe flow, how does the pressure vary with the length of the pipe?	L2	CO5
CO5	L1	1.j)	What is priming of a pump?	L1	CO5

UNIT-V					
10	a)	Briefly explain the main parts of centrifugal pump with neat sketches.	L3	CO5	5 M
	b)	The internal and external diameters of the impeller of a centrifugal pump are 200 mm and 400 mm respectively. The vane angles of the impeller at inlet and outlet are 20° and 30° respectively. The water enters the impeller radially and velocity of flow is constant. Determine the work done by the impeller per unit weight of water.	L3	CO5	5 M
OR					
11	a)	Explain the Cavitation in centrifugal pump, its effects and precautions.	L4	CO5	5 M
	b)	How will you obtain an expression for the minimum speed for starting a centrifugal pump?	L3	CO5	5 M

PART – B

			Max. Marks
		BL	CO

UNIT-I

2	Find an expression for the loss of head of a viscous fluid flowing between two fixed parallel plates.	L3	CO1	10 M
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OR

3	Explain the boundary layer theory with various applications, using the concept of displacement, momentum and energy thickness for a flat plate.	L3	CO1	10 M
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UNIT-II

4	Derive the following conditions for most economical trapezoidal channel section. i) Side length = half of the top width ii) hydraulic mean depth (m) = $d/2$	L4	CO2	10 M
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OR

5	A canal of trapezoidal section has a bed width of 7 m and bed slope of 1 in 3500. If the depth of flow is 2.7 m and side slopes of the channel are 1 horizontal to 3 vertical, determine the average flow velocity and the discharge carried by the channel. Also compute the average shear stress at the channel boundary. Take value of Chezy's constant = 50.	L4	CO2	10 M
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UNIT-III

6	a) The discharge of water through a rectangular channel of width 8m, is $18 \text{ m}^3/\text{s}$ when the depth of water is 1.2 m. Calculate: (i) specific energy of the flowing water, (ii) Critical depth and	L4	CO3	5 M
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	Critical velocity, and (iii) value of minimum specific energy.			
b)	The depth of flow of water, at a certain section of a rectangular channel of 4m wide is 0.5 m . The discharge through the channel is $18 \text{ m}^3/\text{sec}$. If a hydraulic jump takes place on the downstream side, find the depth of flow after the jump.	L4	CO3	5 M

OR

7	Find the slope of the free water surface in a rectangular channel of width (i) 20m and (ii) 30m, having depth of flow 5m. The discharge through the channel is $60 \text{ m}^3/\text{s}$. The bed of the channel is having a slope of 1 in 4000. Take the value of Chezy's constant $C = 60$.	L4	CO3	10 M
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UNIT-IV

8	a) Derive an expression for force exerted by a jet on inclined plate moving in the direction of jet. b) Draw the velocity triangles, work done and maximum hydraulic efficiency of a Pelton wheel turbine.	L3	CO4	5 M
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OR

9	The penstock supplies water from a reservoir to the Pelton wheel with a gross head of 500 m. One third of the gross head is lost in friction in the penstock. The rate of flow of water through the nozzle fitted at the end of the penstock is $2.0 \text{ m}^3/\text{s}$. The angle of deflection of the jet is 165° . Determine the power given by the water to the runner and also hydraulic efficiency of the Pelton wheel. Take speed ratio = 0.45 and $C_v = 1.0$.	L4	CO4	10 M
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PART-A SCHEME OF EVALUATION MM.

- 1) For the relationship between Reynold number and friction factor } 2m
It may be in writing (or) Explanation
- 2) Any explanation which gives same meaning — 2m
- 3) Significance of Moody's chart — 2m
- 4) For open channel flow Reynold number limits — 1m } 2m
for pipe flow — 1m
- 5) Any two conditions for most economical channel section — 2m
- 6) For writing the formula of kinetic head — 1m } 2m
for calculation — 1m
- 7) For giving classification based on head — 2m
- 8) Steady flow and unsteady flow definitions — 2m
- 9) How the pressure varies in pipe in 'x' direction — 2m
- 10) Priming definition — 2m
- 0 —
PART-B
- 1) For dia gram — 2m
- For declaration of Parameter — 2m } 10m
 U entrance — 2m
 For loss of head — 4m
- 2) Boundary layer theory — 5m
 Application — 1m } 10m
 displacement thickness — 2m
 Momentum and Energy thickness — 2m
- 3) For its derivation — 6m } 10m
 and derivation — 4m
- 4) For writing given data and conversions — 2m
 determination of velocity — 2m } 10m
 discharge — 2m
 Area of flow — 2m
 shear stress — 2m
- 5a) Specific Energy — 2m
 Critical depth and critical velocity — 2m } 5m
 Minimum specific Energy — 1m
- 5b) For finding discharge / unit width — 2m } 5m
 discharge calculation — 3m } 10m

① For finding slope of 1st bit — 5m. } 10m.
2nd bit — 5m.

8) a) For diagram and declaration of Parameters — 2m. } 5m. } 10m.
derivation — 3m.

b) For velocity triangle diagram — 2m.
wall down — 1m. } 5m.
hydraulic Efficiency — 2m.

9) For finding V_1 and α — 4m.
wall down/sec — 2m. } 10m.
Hydraulic Efficiency — 4m.

For diagram and labeling — 3m. } 5m. } 10m.
Explanation — 2m.

b) For u_1 and u_2 — 2m.
 V_{w1} and V_{w2} — 2m. } 5m.
wall down/sec — 1m.

11) a) Cavitation explanation — 2m.
Effects — 2m. } 5m.
Precaution — 1m.

b) For writing the relation between pressure rise and Manometric head } 2m.
For writing Explanation for u_1 and u_2 — 1m. } 5m.
Rest of the derivation — 2m.

— 0 —

Key and Scheme of Evaluation Regular CE.

- a) Effect of change in Reynold's number on the friction factor:-
 Ans: In fluid dynamics the Reynold's number and friction factor are inter-connected. Generally friction factor decreases as Reynold's number increases, but this relationship is not always straight forward. The friction factor also depends on the type of flow and geometry of flow channel.

- b) Role of Boundary layer theory to enhance the velocity of golf ball:-
 Ans: Boundary layer theory plays a crucial role in optimizing golf ball velocity by managing the airflow around the ball and minimizing drag.

- c) Significance of Moody's chart:- It is a graphical representation of that helps to calculate the friction factor for fluid flow for pipes.
 It gives the relation between Reynold's number and friction factor.

- d) Limit of Reynold's number for open channel flow

Pipe flow:-

If $Re < 500$ — It is laminar If $Re < 2000$ — It is laminar
 $Re > 2000$ — It is turbulent $Re > 4000$ — It is turbulent
 $Re = 500 - 2000$ — Transition flow If $Re = 2000 - 4000$ — It is transition flow

- 2) Conditions which are to be satisfied for a channel section to be efficient channel section:-

1) When cost of construction of the channel is minimum and discharge maximum.

→ To keep the discharge maximum velocity should be maximum
 $Q = AV$ $Q \propto V$ $A = \text{constant}$

→ To keep velocity minimum hydraulic radius should be minimum.
 $V = C \sqrt{m} \therefore V \propto m$

→ To keep hydraulic radius maximum Perimeter should be minimum

$$m = \frac{A}{P} \therefore m \propto \frac{1}{P}$$

1.8
A:

diameter of pipe : 5cm : 0.05m

Pressure : 20 N/cm² mean velocity = 2m/s.

$$\text{kinetic head} = \frac{V^2}{2g} = \frac{2^2}{2 \times 9.81} = \frac{4}{19.62} = 0.204\text{m}$$

g) classification of turbines based on depth of flow or head available at the entrance of turbine

1. High head turbine — Pelton wheel. > 150m.
2. medium head turbine — Francis turbine > 30m - 150m.
3. low head turbine — Kaplan turbine < 30m.

Steady flow

h) If the flow parameters like velocity of flow, depth of flow, a rate of flow don't change with respect to time then that flow is called steady flow

$$\frac{\partial V}{\partial t} = 0, \quad \frac{\partial y}{\partial t} = 0$$

$$\frac{\partial Q}{\partial t} = 0$$

unsteady flow.

If the flow parameters ~~don't~~ change with respect to time then the flow is unsteady flow.

$$\frac{\partial V}{\partial t} \neq 0, \quad \frac{\partial y}{\partial t} \neq 0$$

$$\frac{\partial Q}{\partial t} \neq 0$$

i) In a fully developed pipe flow the pressure decreases linearly with the length of the pipe. This means that the pressure drop is proportional to the distance between two points.

3) Priming of a pump. The operation in which the suction pipe, casing of the pump and a portion of the delivery pipe up to the delivery valve is completely filled up from outside source with the liquid to be raised by the pump before starting the pump. Then the air from these parts of the pump is removed and these parts are filled with the liquid to be pumped

2)

2)

Expression for the loss of head of a viscous fluid flowing between two fixed parallel plates.

We have $\bar{U} = -\frac{1}{12\mu} \frac{\partial p}{\partial x} t^2$

$\therefore \frac{\partial p}{\partial x} = -\frac{12\mu\bar{U}}{t^2}$

integrating the above equation w.r. to x we have.

$\int_2^1 \partial p = \int_2^1 -\frac{12\mu\bar{U}}{t^2} dx$

$\therefore p_1 - p_2 = -\frac{12\mu\bar{U}}{t^2} [x_1 - x_2]$

$\therefore p_1 - p_2 = \frac{12\mu\bar{U}}{t^2} (x_2 - x_1)$ but $x_2 - x_1 = L$.

$\therefore$ If h_f is the drop of pressure head then

$h_f = \frac{p_1 - p_2}{\rho g} = \frac{12\mu\bar{U}L}{\rho g t^2}$

3) Boundary layer theory.

When a viscous fluid flows past an immersed body, a thin boundary layer is formed in the immediate neighbourhood of solid surface.

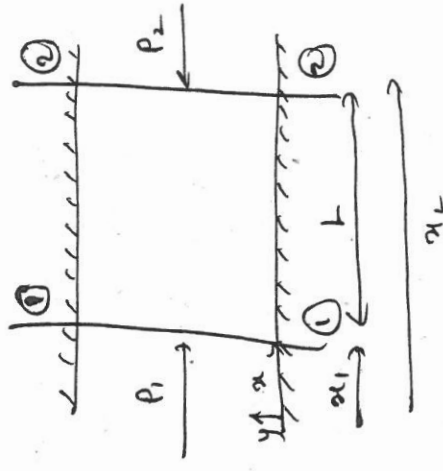
In the boundary layer, the velocity gradient occurs.

$\rightarrow$ the resistance due to viscosity is confined only in the boundary layer, the fluid outside the boundary layer may be considered as ideal.

$\rightarrow$ near the leading edge of a flat plate, the boundary layer is wholly laminar. For a boundary layer the velocity distribution is parabolic.

$\rightarrow$ The thickness of the boundary layer increases with distance from the leading edge, as more and more fluid is slowed down by the viscous boundary, becomes unstable and breaks into a turbulent boundary layer.

$\rightarrow$ For a flow when $Re = \frac{U\infty}{\nu} < 5 \times 10^5$ boundary layer is laminar
when $Re = \frac{U\infty}{\nu} > 5 \times 10^5$ the bl is turbulent.



→ the boundary layer theory has various applications in aerodynamics, heat transfer and computational fluid dynamics.

→ It helps in understanding and designing objects that interact with fluid flow such as air craft, automobiles and heat exchangers.

displacement thickness: It is the distance measured perpendicular to the boundary, by which the free stream is displaced on account of formation of boundary layer.

Momentum thickness: It is the distance measured perpendicular to the boundary of the solid body, by which boundary should be displaced to compensate for reduction in momentum of the flowing fluid on account of boundary layer formation.

Energy thickness: It is the distance measured perpendicular to the boundary of the solid body, by which the boundary should be displaced to compensate for reduction in K.E of the flowing fluid.

13) Most Economical trapezoidal channel section condition:-

1) side length = half of top width.

Consider a trapezoidal section

Let b : width of the channel.

d : depth of flow

θ : angle made by the sides with horizontal

The side slope is given as 1 vertical to m horizontal.
so for d vertical and horizontal.

$$\text{Area of flow } A = (b + md)d \quad \text{--- (1)}$$

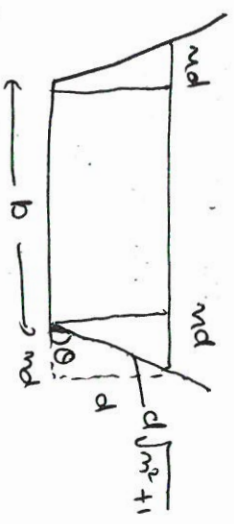
$$\therefore \frac{A}{d} = b + md \quad \therefore b = \frac{A}{d} - md \quad \text{--- (2)}$$

$$\text{wetted perimeter } P = b + 2d\sqrt{m^2 + 1}$$

Substituting the value of 'b' in (2) above we get

$$P = \frac{A}{d} - md + 2d\sqrt{m^2 + 1} \quad \text{--- (3)}$$

For most economical section the perimeter should be minimum.



$$\therefore \frac{\partial P}{\partial d} = 0$$

Differentiating the eq (3) with respect to 'd' and equating it to zero we get

$$\frac{\partial}{\partial d} \left[\frac{A}{d} - md + 2d\sqrt{m^2 + 1} \right] = 0$$

$$\frac{A}{d^2} + m = 2\sqrt{m^2 + 1}$$

Substituting the value of 'A' in the above equation

$$\frac{(b+md)d}{d^2} + m = 2\sqrt{m^2 + 1}$$

$$\frac{b+md+md}{d} = 2\sqrt{m^2 + 1}$$

$$\therefore \left| \frac{b+2md}{2} = d\sqrt{m^2 + 1} \right|$$

$\therefore$ Side length = half of top width

$$\textcircled{2} \quad m = \frac{A}{P}$$

we have $A = (b+md)d$

$$P = b + 2d\sqrt{m^2 + 1}$$

but we have $b+2md = 2d\sqrt{m^2 + 1}$ and substituting this value in P we get -

$$\therefore P = 2b + 2md = 2(b+md)$$

$$\therefore \text{but } m = \frac{A}{P} = \frac{(b+md)d}{2(b+md)} = \frac{d}{2}$$

$$\therefore \left[m = \frac{d}{2} \right]$$

Given data:

width of the channel = $b = 7\text{m}$

Depth of flow = $d = 2.7\text{m}$

Bed slope, $S = \frac{1}{3500}$

Cherul's constant = 50

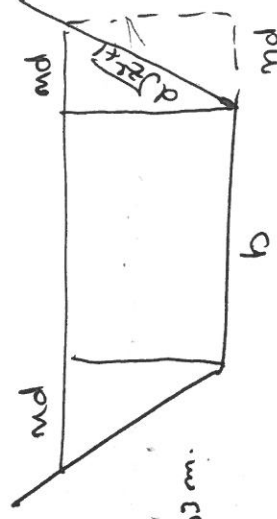
Side slope = 1H to 3V

$$Z = \frac{1}{3}$$

Area of flow = $(b+md)d$

$$= 2.7 \left(7 + \frac{1}{3} \times 2.7 \right)$$

$$= 2.7 (7 + 0.9) = 21.33\text{m}^2$$



$$\text{Perimeter} = P = b + 2d\sqrt{z^2 + 1}$$

$$= 7 + 2 \times 2.7 \sqrt{\left(\frac{1}{3}\right)^2 + 1} = 12.69 \text{ m}$$

$$\text{Hydraulic Radius } \frac{A}{P} = \frac{21.33}{12.69} = 1.681 \text{ m}$$

$$\text{Average flow velocity } V = C\sqrt{mi}$$

$$= 50 \sqrt{1.681 \times \frac{1}{3500}} = 1.095 \text{ m/s}$$

$$\therefore \text{Discharge } Q = AV = 21.33 \times 1.095 = 23.36 \text{ m}^3/\text{s}$$

Shear stress at the channel boundary can be calculated by

$$\tau_0 \text{ LP} = wAL \sin \theta$$

$$\therefore \tau_0 = \frac{wAL \sin \theta}{\text{LP}} = w \cdot m \cdot s = 9810 \times 1.681 \times \frac{1}{3500}$$

$$\therefore \tau_0 = 4.71 \text{ N/m}^2$$

6) a)

Given data :- width of the channel = 8 m

$$\text{discharge } Q = 18 \text{ m}^3/\text{s}$$

$$\text{depth of flow} = 1.2 \text{ m}$$

$$\therefore \text{discharge per unit width} = q = \frac{Q}{b} = \frac{18}{8} = 2.25 \text{ m}^2/\text{s}$$

$$\text{velocity of flow } V = \frac{Q}{A} = \frac{18}{b \times h} = \frac{18}{8 \times 1.2} = \frac{18}{9.6} = 1.875 \text{ m/s}$$

$$\therefore \text{specific energy } E = h + \frac{V^2}{2g} = 1.2 + \frac{1.875^2}{2 \times 9.81} = 1.319 \text{ m}$$

$$\therefore \text{critical depth} = h_c = \left(\frac{q^2}{g}\right)^{1/3} = \left(\frac{(2.25)^2}{9.81}\right)^{1/3} = 0.804 \text{ m}$$

$$\text{critical velocity} = V_c = \sqrt{g \times h_c} = \sqrt{9.81 \times 0.804} = 2.808 \text{ m/s}$$

minimum specific Energy, is given by

$$E_{\text{minimum}} = \frac{3}{2} h_c = \frac{3}{2} \times 0.804 = 1.206 \text{ m}$$

(4)

b) given data:-
A:-

width of the channel = $b = 4 \text{ m}$

depth of flow before jump = $d_1 = 0.5 \text{ m}$

discharge $Q = 18 \text{ m}^3/\text{sec}$

$\therefore$ discharge per unit width = $\frac{18}{4} = 4.5 \text{ m}^2/\text{s}$

$\therefore$ depth of flow after the jump $d_2 = -\frac{d_1}{2} + \sqrt{\frac{d_1^2}{4} + \frac{2q^2}{gd_1}}$

$$\therefore d_2 = -0.25 + \sqrt{\frac{0.5^2}{4} + \frac{2 \times 4.5^2}{9.81 \times 0.5}}$$

$$= -0.25 + \sqrt{0.0625 + 8.257}$$

$$= -0.25 + 2.88 = \underline{\underline{2.63 \text{ m}}}$$

1)

given data:-

1) $b = 20 \text{ m}$ $h = 5 \text{ m}$ $Q = 60 \text{ m}^3/\text{s}$ 2) $b = 30 \text{ m}$

Bed slope $i_b = \frac{1}{6000} = 0.000167$

Chézy's constant = 60

Area of flow = $b \times h$
 $= 30 \times 5 = 150 \text{ m}^2$

Area of flow = $b \times h = 20 \times 5 = 100 \text{ m}^2$

$$m = \frac{A}{P} = \frac{100}{b + 2h} = \frac{100}{20 + 2 \times 5} = \frac{100}{30} = \frac{10}{3} \text{ m}$$

$$m = \frac{A}{P} = \frac{150}{30 + 2 \times 5} = 3.75 \text{ m}$$

slope of the energy line from Chézy's formula

$$Q = AC \sqrt{mi}$$

$$60 = 150 \times 60 \times \sqrt{3.75 \times i_e}$$

$$60 \div 100 \times 60 \sqrt{\frac{10}{3} \times i_e} = 10954.45 \sqrt{i_e}$$

$$\therefore i_e = 0.0001185$$

$$\therefore i_e = \left(\frac{60}{10954.45} \right)^2 = 0.00003$$

$$V = \frac{Q}{A} = \frac{60}{30 \times 5} = \frac{60}{150} = 0.4 \text{ m/s}$$

Slope of free surface = $\frac{dh}{dx}$

$$\frac{dh}{dx} = \frac{0.00025 - 0.0001185}{1 - \frac{0.4^2}{9.81 \times 5}}$$

$$\therefore \frac{dh}{dx} = \frac{i_b - i_e}{1 - \frac{V^2}{gh}} = \frac{0.00025 - 0.00003}{1 - \frac{V^2}{9.81 \times 5}}$$

$$= \frac{0.000238}{0.9917}$$

$$V = \frac{Q}{A} = \frac{60}{b \times h} = \frac{60}{20 \times 5} = 0.6 \text{ m/s}$$

$$\therefore \frac{dh}{dx} = \underline{\underline{0.0002389}}$$

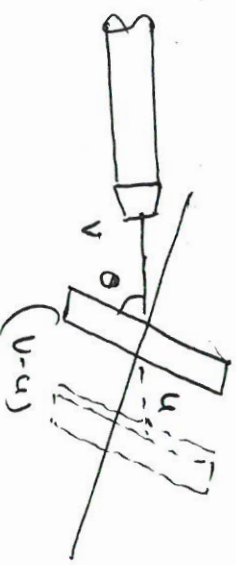
$$\therefore \frac{dh}{dx} = \frac{0.00022}{0.99266} = \underline{\underline{0.00022}}$$

3) a) Expression for force exerted by a jet on inclined moving plate in the direction of jet:

Let a jet of water strikes an inclined plate, which is moving with a uniform velocity in the direction of jet

Let V = absolute velocity of jet

u = velocity of plate in the direction of jet



a = cross sectional area of jet

θ = angle between jet and plate

$\therefore$ Relative velocity of jet & water = $V-u$

$\therefore$ Mass of water striking per second = $\rho a(V-u)$

If the plate is smooth the loss of energy due to impact of jet is assumed zero. So, the jet of water will leave the inclined

plate with velocity equal to $(V-u)$

Force exerted by jet on the plate in normal direction = F_N

$$\therefore F_N = \rho a(V-u) [(V-u) \sin \theta - 0] = \rho a(V-u)^2 \sin \theta$$

This force in normal direction is resolved into two components F_x and F_y .

$$\therefore F_x = F_N \sin \theta = \rho a(V-u)^2 \sin^2 \theta$$

$$F_y = F_N \cos \theta = \rho a(V-u)^2 \sin \theta \cdot \cos \theta$$

Velocity triangle of Pelton wheel

Let H = net head acting on the

Pelton wheel = $H_g - h_f$

where H_g = gross head.

$$\therefore h_f = \frac{u f L V^2}{2 g d}$$

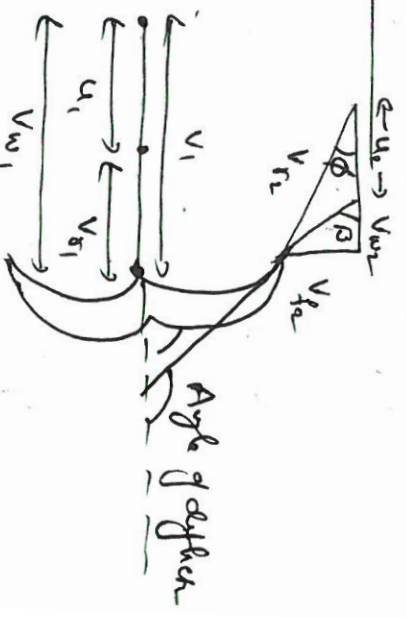
and V_1 = velocity of jet = $\sqrt{2gH}$

$$u = u_1 = u_2 = \frac{\pi D u}{60}$$

The velocity triangle at inlet will be a straight line where

$$V_{x1} = V_1 - u_1 = V_1 - u \quad \therefore V_{w1} = V_1$$

$$\alpha = 0 \quad \text{and} \quad \theta = 0$$



From the velocity triangle at outlet we have

$$V_{r2} = V_{r1} \text{ and } V_{w2} = V_{r2} \cos \phi - u_2$$

$\therefore$ Force exerted by jet in 'x' direction $F_x = \rho a v_1 [v_{w1} + v_{w2}]$

work done by jet / sec = $F_x \times u = \rho a v_1 [v_{w1} + v_{w2}] u$ Nm/s

$$\text{Hydraulic Efficiency } \eta_h = \frac{\text{work done / sec}}{\text{K.E of jet / sec}} = \frac{\rho a v_1 [v_{w1} + v_{w2}] u}{\frac{1}{2} \rho a v_1 \times v_1^2}$$

$$\eta_h = 2 \frac{[v_{w1} + v_{w2}] u}{v_1^2}$$

Substituting the values of v_{w1} and v_{w2} in the above eq.

$$\eta_h = 2 \frac{[v_1 + (v_1 - u) \cos \phi - u] u}{v_1^2} = 2 \frac{(v_1 - u) [1 + \cos \phi] u}{v_1^2}$$

For maximum efficiency we have

$$\frac{\partial(\eta_h)}{\partial u} = 0 \quad \therefore \frac{\partial}{\partial u} \left[\frac{2u(v_1 - u)(1 + \cos \phi)}{v_1^2} \right] = 0$$

$$\therefore u = \frac{v_1}{2}$$

Substituting the value of u in above eq we get

$$\text{Max. } \eta_h = \frac{2(v_1 - \frac{v_1}{2})(1 + \cos \phi) \frac{v_1}{2}}{v_1^2} = \frac{2 \times \frac{v_1}{2} (1 + \cos \phi) \frac{v_1}{2}}{v_1^2}$$

$$\therefore \boxed{\text{Max } \eta_h = \frac{1 + \cos \phi}{2}}$$

1) Given data: $H_g = 500 \text{ m}$

$$\text{Head lost in friction } h_f = \frac{H_g}{3} = \frac{500}{3} = 166.7 \text{ m}$$

$$\therefore \text{Net head} = H_g - h_f = 500 - 166.7 = 333.3 \text{ m}$$

$$Q = 2 \text{ m}^3/\text{s} \quad \text{Angle of deflection} = 165^\circ$$

$$\therefore \phi = 180 - 165 = 15^\circ \quad \text{Speed ratio} = 0.45 \quad C_v = 1.0$$

$$\therefore V_1 = \sqrt{2gh} = 1.0 \times \sqrt{2 \times 9.81 \times 333.3} = 80.81 \text{ m/s}$$

Velocity of wheel $u = \text{Speed ratio} \times \sqrt{2gh}$

$$\therefore u = u_1 = u_2 = 0.45 \times \sqrt{2 \times 9.81 \times 333.3} = 36.387 \text{ m/s}$$

$$= 66.473 \text{ m/s}$$

A diagram of a curved beam segment. At the left end, there is a horizontal force C_{A1} pointing to the right and a vertical force V_{A1} pointing downwards. At the right end, there is a horizontal force C_{B1} pointing to the left and a vertical force V_{B1} pointing upwards. A moment M_{B1} is applied at the right end, indicated by a curved arrow. The beam is curved, and the angle between the tangent at the right end and a horizontal line is labeled ϕ . The total angle of the beam segment is labeled 165° .

$$V_{B1} = V_1 = 80.86 \text{ m/s}$$

$$u_{\text{u}} \cdot u_{75} \cos 15 = 36.387 \pm v_{w_2} \therefore v_{w_2} = 6.57 \text{ m/s}$$

$$\text{Power given} = \frac{W / \text{sec}}{1000} = \frac{6362636}{1000} = 6362.63 \text{ kW}$$

$$Z_h = 0.9731 = 97.31\%$$

1. Impeller: The rotating part of a centrifugal pump is called impeller. It consists of a series of backwards curved vanes.

2. Carit : It is similar to Carit of a reaction turbine. It is an axial flow pump surrounding the impeller and is designed in such a way that the kinetic energy is converted into Pressure energy.

A pipe when end is connected to the inlet the pump and other end dips into water in a sump - A foot valve in a one way

The diagram illustrates a centrifugal pump. At the top, a vertical pipe is labeled "delivery pipe" with an upward arrow. Below this is a horizontal section labeled "delivery valve". The main body of the pump is a circular "Cavity" containing an "Impeller" with multiple blades. Arrows show the flow path: from the center of the impeller, outwards through the cavity, and then into a horizontal "suction pipe" at the bottom. The suction pipe ends in a "foot valve with strainer". To the right of the diagram, the text "Principle:-" is written, followed by "Inlet of" and "water" (partially visible).

6)

delivery pipe: A pipe which end is connected to the outlet of the pump and other end delivers the water at a required height.

10) b)

Given data:

Internal dia of impeller = $D_1 = 200 \text{ mm} = 0.2 \text{ m}$.

External dia = $D_2 = 400 \text{ mm} = 0.4 \text{ m}$

Speed = $N = 1200 \text{ r.p.m.}$

$\theta = 20^\circ$ $\phi = 30^\circ$

Water enters radially $\alpha = 90^\circ$ and $V_{w1} = 0$

Velocity of flow $V_{f1} = V_{f2}$

$$u_1 = \frac{\pi D_1 N}{60} = \frac{\pi \times 0.2 \times 1200}{60} = 12.56 \text{ m/s}$$

$$u_2 = \frac{\pi D_2 N}{60} = \frac{\pi \times 0.4 \times 1200}{60} = 25.13 \text{ m/s}$$

From inlet triangle

$$\tan \theta = \frac{V_{f1}}{u_1} = \frac{V_{f1}}{12.56}$$

$$\therefore V_{f1} = V_{f2} = 4.57 \text{ m/s} \quad \therefore V_{f1} = 12.56 \tan 20 = 4.57 \text{ m/s}$$

$$\therefore V_{f1} = V_{f2} = 4.57 \text{ m/s}$$

From outlet triangle $\tan \phi = \frac{V_{f2}}{u_2 - V_{w2}} = \frac{4.57}{25.13 - V_{w2}}$

$$\therefore 25.13 - V_{w2} = \frac{4.57}{\tan \phi} = \frac{4.57}{\tan 30} = 7.915$$

$$\therefore V_{w2} = 25.13 - 7.915 = 17.215 \text{ m/s}$$

Work done by impeller / kg of water / sec = $\frac{1}{g} V_{w2} u_2$

$$= \frac{17.215 \times 25.13}{9.81} = 44.1 \text{ Nm/N}$$

a)

Cavitation -> when the pressure in any part of the flow passage reaches the vapour pressure of flowing liquid, it starts

Vaporizing and small bubbles of vapour form in large numbers

Then bubbles are carried along the flow and on reaching the

high pressure zone, then bubbles suddenly collapse on the

Vapour condenses to liquid again. Due to sudden collapsing

of bubbles the surrounding liquid rushes into fill them

thus giving rise to very high local pressure. Any solid surface

in the vicinity also subjected to their intense pressure.

→ The alternate formation and collapse of vapour bubbles cause severe damage to the surface.

→ This phenomenon is known as cavitation which is found to occur in hydraulic structures like pumps and turbines.

Effect of cavitation:

1. Metallic surfaces are damaged and cavities are formed on the surface.
2. Due to sudden collapse of vapour bubbles, noise and vibrations are produced.
3. The efficiency of the pump decreases.

Precautions, 1. The pressure of the flowing liquid in any part of the hydraulic system should not be allowed to fall below its vapour pressure.

2. The special materials or coating such as aluminium - bronze and stainless steel which are cavitation resistant should be used.

11) b)

Expression for minimum speed for starting a centrifugal pump.

If the pressure rise in the impeller is more than or equal to manometric head the centrifugal pump will start delivering water. Otherwise the pump will not discharge any water though the impeller is rotating.

Thus in case of forced vortex, the pressure rise in the

$$\text{impeller} = \frac{\omega^2 r_2^2}{2g} - \frac{\omega^2 r_1^2}{2g} \quad \text{--- ①}$$

where ωr_2 = Tangential velocity at outlet = u_2

ωr_1 = " " " at inlet = u_1

$$\therefore \text{Head due to pressure rise} = \frac{u_2^2}{2g} - \frac{u_1^2}{2g}$$

The flow will commence only if the head in the impeller $\geq H_m$.

(7)

$$\therefore \frac{u_1^2}{2g} - \frac{u_2^2}{2g} > H_m$$

For the minimum speed

we must have $\frac{u_1^2}{2g} - \frac{u_2^2}{2g} = H_m$ — (2)

But we have $\eta_{mano} = \frac{g H_m}{V_{w_2} u_2}$

$$\therefore H_m = \eta_{mano} \times \frac{V_{w_2} u_2}{g}$$

Substituting the value of H_m in eq (2)

$$\frac{u_1^2}{2g} - \frac{u_2^2}{2g} = \eta_{mano} \times \frac{V_{w_2} u_2}{g} \quad \text{--- (2)}$$

$$\text{But } u_2 = \frac{\pi D_2 N}{60} \quad \text{and } u_1 = \frac{\pi D_1 N}{60}$$

Substituting the value of u_1 and u_2 in eq (3) we get

$$\frac{1}{2g} \left[\frac{\pi D_1 N}{60} \right]^2 - \frac{1}{2g} \left[\frac{\pi D_2 N}{60} \right]^2 = \eta_{mano} \times \frac{V_{w_2} \times \pi D_2 N}{g \times 60}$$

Dividing the above equation by $\frac{\pi N}{g \times 60}$ we get

$$\therefore \left| N = \frac{120 \times \eta_{mano} \times V_{w_2} \times D_2}{\pi [D_2^2 - D_1^2]} \right|$$

Scheme of Evaluation:-

