| Course Code | 22MEMD1T6A | Year | Ι | Semester | Ι |
|--------------------|-----------------------|--------------------|-------|---------------------|--------|
| Course Category | Programme Elective | Branch | ME | Course Type | Theory |
| Credits | 4 | L-T-P | 4-0-0 | Prerequisites | Nil |
| Continuous | | Semester | | | |
| Internal | 40 | End | 60 | Total Marks: | 100 |
| Evaluation: | | Evaluation: | | | |

THEORY OF ELASICITY AND PLASTICITY

Course outcomes: At the end of the course, the student will be able to:

| СО | Statement | BTL | Units |
|-----|--|-----|-------|
| CO1 | Demonstrate the application of plane stress and plane strain in a given situation. | L3 | 1 |
| CO2 | Understand the two dimensional problems in polar coordinate system. | L3 | 2 |
| CO3 | Apply stress-strain relations for linearly elastic solids, and Torsion | L3 | 3 |
| CO4 | Demonstrate the ability to analyze the structure using plasticity. | L3 | 4 |

Contribution of Course outcomes towards achievement of programme outcomes & Strength of correlations (High:3, Medium: 2, Low:1)

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 | PO11 | PO12 | PSO1 | PSO2 |
|------|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|------|------|------|------|
| CO 1 | 3 | 3 | 2 | | | | 2 | | | 1 | | 2 | 3 | 1 |
| CO 2 | 3 | 3 | 2 | | | | 2 | | | 1 | | 2 | 3 | 1 |
| CO 3 | 3 | 3 | 2 | | | | 2 | | | 1 | | 2 | 3 | 1 |
| CO 4 | 3 | 3 | 2 | | | | 2 | | | 1 | | 2 | 3 | 1 |

| Syllabus | | | | | |
|----------|---|--------------|--|--|--|
| Unit | Contents | Mapped CO | | | |
| 1 | Introduction: Elasticity – notation for forces and stresses – components of stresses – components of strain – stress strain relationship – Generalized Hooke's law. Plane stress and plane strain analysis – plane stress – plane strain – differential equations of equilibrium – boundary conditions – compatibility equations – stress function – boundary condition. | CO1 | | | |

| 2 | Two dimensional problems in rectangular coordinates – solution by polynomials – Saint Venant's principle – determination of displacements – bending of simple beams – application of corier eries or two dimensional problems – gravity loading. Two dimensional problems in polar coordinates – stress distribution symmetrical about an axis – pure bending of curved bars – strain components in polar coordinates – displacements for symmetrical stress distributions – simple symmetric and symmetric problems – general solution | CO2 |
|---|--|-----|
| | of two – dimensional problem in polar coordinates – application of general solution in polar coordinates. | |
| 3 | Torsion of Prismatic Bars: torsion of prismatic – bars with elliptical cross sections – other elementary solution – membrane analogy – torsion of rectangular bars – solution of torsion problems by energy method – use of soap films in solving torsion problems – hydro dynamical analogies – torsion of shafts, tubes, bars etc. Bending of Prismatic Bars: Stress function – bending of cantilever – circular cross section – elliptical cross section – rectangular cross section – bending problems by soap film method – displacements. | CO3 |
| 4 | Plasticity: Physical Assumptions – Yield criteria – Failure theories – Applications of thick cylinder – Plastic stress strain relationship. Elasto – plastic problems in bending and torsion. | CO4 |

Learning Resources

Text Book(s):

- 1. Theory of Elasticity (third edition) by Timeshanko, McGrawhill Publications, 2010.
- 2. Theory of Plasticity (third edition) by J.Chakarbarthy, McGrawhill Publications, 2006.

References:

- 3. Theory of Elasticity by Y.C.Fung.
- 4. Theory of Elasticity by Gurucharan Singh
- 5. Theory of Elasticity by Sadhu Singh, Khanna Publishers, New Delhi